| Subject: Geometry | Teacher: Mrs. Jacque Boyle |
|---|------------------------------|
| Grade: 9 th /10 th | Duration: August 2019 |
| Unit Transformations and Congruence | |
| Module 1 Tools of Geometry | |
| Summary of unit: | |

Students will learn about segments and angles, reasoning and proof, translations, reflections, and rotations, symmetry, corresponding parts of congruent figures.

| | Stage 1 - | Desired Res | ults |
|---|-------------------|-------------------------|---|
| Standards | 0 | Essential Qu | |
| G-CO.A.1 Know precise def line segment, based on the notions of distance along | undefined | How do you o length? | draw a segment and measure its |
| G-CO.D.12 Perform geomet | ric | | uring an angle similar to and n measuring a line segment? |
| constructions with a compa straightedge. including cop | | How can you | describe transformations in the |
| segment; copying an angle; segment; bisecting an angle | bisecting a e; | - | ane using algebraic representations |
| constructing perpendicular lines/segments, constructing a line parallel to a given line through a point not on the line. | | How do you § | go about proving a statement? |
| G-GPE.B.4 Use coordinates to prove geometric relationships algebraically. | | | |
| G-CO.A.1 Know precise definitions of angle based on the undefined notions of distance around a circular arc. | | | |
| G-CO.A.2 Represent transformations in the plane; describe transformations as | | | |
| functions Compare tran that preserve distance and that do not | | | |
| G-CO.C.9 Prove theorems a angles. | bout lines and | | |
| Language objective | Mathematic | al practices | Integrate mathematical |
| Work with a small group | | | practices |
| to match pictures to | MP.4 Focus o | n Modeling | 1.2 MP.4 Suggest that students use |
| "geometry term cards." | | | a straightedge, such as an index |
| | | | card, to extend the rays of an angle before they use a protractor to |

| Work with a partner to play "angle charades." Students work together to give oral, verbal and pictorial clues and justify transformations drawn from clues. | | measure the angle. If the angle is smaller than the distance from the center mark to the edge of the protractor, this will make it easier to accurately measure the angle. Encourage students to estimate an angle measure before measuring to make sure the measurement is reasonable. |
|---|--|--|
| | MP.6 Precision | 1.3 This lesson provides an opportunity to address Mathematical Practice MP.6, which calls for students to "attend to precision." Students are already familiar with transformations in the plane and, in this lesson, students use graph paper to draw transformations. They use protractors, rulers, and coordinates to determine whether length and angle measure have been preserved. They also use concepts about functions to write the rules that express transformations algebraically. |
| | MP.3 Construct Arguments | This lesson provides an opportunity to address Mathematical Practice MP.3, which calls for students to "construct viable arguments." Students use deductive reasoning, and explain steps logically from definite premises to a definite general conclusion. They use inductive reasoning to make a conjecture about what is true in general by examining several cases, and they justify the falsehood of a conclusion by citing a counterexample. |
| Vocabulary | | Differentiation |
| Point | Preimage | Students who need extra help |
| Line Plane | Conjecture | receive help from teacher one on |
| Line Segment | Inductive Reasoning Deductive Reasoning | one for independent working time. If appropriate, they complete |
| Endpoints | Theorem | in appropriate, they complete |

| Ray | Counterexam | • | worksheets or tests in an alternate | |
|--|---|-------------------|-------------------------------------|--|
| Transformations | Conditional s | tatement | setting. | |
| Image | Linear pair | | | |
| | | | | |
| | | | | |
| | Stage 2 – As | ssessment Evi | dence | |
| Performance Tasks: | | Unit Pre-Asse | essment: | |
| Homework quizzes, worksh | eet, Tests. | Assign ready- | made or customized practice tests | |
| | | to prepare stu | udents for high-stakes tests | |
| | | | | |
| | Stage 3 | - Learning Pla | an | |
| Learning Activities: p | procedures/to | pics | | |
| Reading and discussi | ng lesson with | l class as lectur | e time. | |
| Giving students exam | ples to be con | npleted in class | . Most times using the Think, Pair, | |
| and Share to keep students active in their learning individually and together. | | | | |
| • Students take notes and use notes to complete homework assignments. | | | | |
| | Sometimes activities used to present things in multiple ways or for extra practice on | | | |
| struggling concepts. | | | | |
| | Lesso | n Descriptions | S | |
| | | | | |
| LESSON 1.1 Segment Length and Midpoints | | | | |
| LESSON 1.2 Angle Measures and Angle Bisectors | | | | |
| LESSON 1.3 Representing and Describing Transformations | | | | |
| LESSON 1.4 Reasoning and Proof | | | | |
| | | | | |
| | | | | |
| | | | | |

| Subject: Geometry | Teacher: Mrs. Jacque Boyle |
|---|----------------------------|
| Grade: 9 th /10 th | Duration: September 2019 |
| Unit 1 Transformations and Congruence | |
| Module 2 Transformations and | |
| Symmetry | |
| Module 3 Congruent Figures | |
| Summary of unit: | |

Students will learn about segments and angles, reasoning and proof, translations, reflections, and rotations, symmetry, corresponding parts of congruent figures.

| Stage 1 - | Desired Results |
|--|--|
| Standards | Essential Questions: |
| G-CO.A.4 Develop definitions of | Listential Questions. |
| translations in terms of parallel lines, | How do you draw the image of a figure under a |
| and line segments. | translation? |
| | |
| G-CO.A.1 State and apply precise | How do you draw the image of a figure under a |
| definitions of angle, circle, | reflection? |
| perpendicular, parallel, ray, line | |
| segment, and distance based on the | How do you draw the image of a figure under a |
| undefined notions of point, line, and | rotation? |
| plane. | |
| | How do you determine whether a figure has line |
| G-CO.A.2 Represent transformations in | symmetry or rotational symmetry? |
| the plane. (e.g., using transparencies and/or geometry software); a. Describe | What happens when you apply more than one |
| transformations as functions that take | transformation to a figure? |
| points in the plane as inputs and give | |
| other points as outputs. b. Compare | How can you determine whether two figures are |
| transformations that preserve distance | congruent? |
| and angle to those that do not (e.g., | 5 |
| translation versus dilation). | What can you conclude about two figures that are |
| | congruent? |
| G-CO.A.4 Develop definitions of | |
| reflections in terms of perpendicular | |
| lines | |
| | |
| G-CO.D.12 Perform geometric | |
| constructions with a compass and | |
| straightedge. including copying a | |
| segment; copying an angle; bisecting a | |
| segment; bisecting an angle; constructing perpendicular | |
| lines/segments, constructing a line | |
| parallel to a given line through a point | |
| not on the line | |
| | |

| | 5 | | 1 |
|---|---|----------|--|
| G-MG.A.3 Apply geometric c solve design problems (e.g., object or structure to satisfy constraints or minimize cost with typographic grid system ratios). | designing an physical t; working | | |
| G-CO.A.4 Develop definitions in terms of angles, circles, segments. | | | |
| G-CO.A.3 Given a rectangle, parallelogram, trapezoid, or polygon, describe the rotatic reflections that carry it onto | ons and | | |
| G-CO.A.5 Specify a sequence transformations that will can figure onto another | | | |
| G-CO.B.6 given two figures definition of congruence in t motions to decide if they are | erms of rigid | | |
| G-CO.B.7 Use the definition of congruence in terms of rigid show that two triangles are of and only if corresponding pairs and corresponding pairs of a congruent. | motions to congruent if airs of sides | | |
| Language objective | Mathematical p | ractices | Integrate mathematical |
| | | | practices |
| Work with a partner to | MP.7 Make use of | | 2.1 This lesson provides an |
| identify examples and | structure | | pportunity to address |
| non-examples of | | | Aathematical Practice MP.7, which |
| translations. | | | alls for students to "look for and |
| | | | nake use of structure." Students |
| Work with a partner to | | | re already familiar with |
| discuss how to determine if a transformation is a | | | ranslating a figure in the plane; in |
| reflection. | | | his lesson, they explore ranslations using tracing paper, |
| | | | and then describe translations |
| Students work in small | | | using vectors, both in the plane |
| groups or pairs to identify | | | and in the coordinate plane. |
| and label the | | | tudents use vector notation to |
| transformation shown on | | | |
| transformation shown on | | | lescribe the translation vector in |

| rotation, identify the point of rotation. Have students work with a partner to give clues | | | the vector to the associated algebraic rule used to transform the preimage figure in the coordinate plane. |
|---|--|-----------------------|--|
| about a figure, and identify whether figures have line symmetry, rotational symmetry, or both and draw the line(s) of symmetry. | MP.5 Using T | ools | 2.2 This lesson provides an opportunity to address Mathematical Practice MP.5, which calls for students to "use appropriate tools." Students are already familiar with reflecting a |
| Explain to a partner why a transformation or sequence of transformations is rigid or nonrigid. | | | figure in the plane; in this lesson, students use the tools of tracing paper, ruler, and protractor to explore reflections. Students draw perpendicular bisectors on graph paper to draw reflected images |
| Have students work in pairs to label congruent | | | and find midpoints to determine the line of reflection. |
| and noncongruent figures. | | | |
| Have students fill in sentence stems to explain why figures are congruent or noncongruent. | | | |
| | oulary | | Differentiation |
| Vector Initial point Terminal point Perpendicular lines Perpendicular bisector reflection | Rotation Center of rotat Angle of rotat Symmetry Line of symm Rotational sy Angle of rotat symmetry | ion etry mmetry | Students who need extra help receive help from teacher one on one for independent working time. If appropriate, they complete worksheets or tests in an alternate setting. |
| | Stage 2 – As | sessment Evi | |
| Performance Tasks: Homework quizzes, worksheet, Tests. | | | essment: -made or customized practice tests udents for high-stakes tests |
| Stage 3 – Learning Plan | | | |
| Learning Activities: procedures/topics Reading and discussing lesson with class as lecture time. Giving students examples to be completed in class. Most times using the Think, Pair, and Share to keep students active in their learning individually and together. Students take notes and use notes to complete homework assignments. | | | |

• Students take notes and use notes to complete homework assignments.

• Sometimes activities used to present things in multiple ways or for extra practice on struggling concepts.

Lesson Descriptions

LESSON 2.1 Translations LESSON 2.2 Reflections LESSON 2.3 Rotations LESSON 2.4 Investigating Symmetry LESSON 3.1 Sequences of Transformations LESSON 3.2 Proving Figures Are Congruent Using Rigid Motions LESSON 3.3 Corresponding Parts of Congruent Figures Are Congruent

| Subject: Geometry | Teacher: Mrs. Jacque Boyle |
|--|----------------------------|
| Grade: 9 th /10 th | Duration: October 2019 |
| Unit 2 Lines, Angles and Triangles | |
| Module 4 Lines and Angles | |
| Module 5 Triangle Congruence Criteria | |
| Summary of unit: | |

Students will learn about parallel lines, transversals, and angle relationships, perpendicular lines and bisectors, slopes and equations of parallel and perpendicular lines, congruence of triangles, geometric constructions, special triangles and triangle inequalities, and special segments of triangles.

| Stage 1 – Desired Results | | | | |
|---|---|--|--|--|
| Standards | Essential Questions: | | | |
| G-CO.C.9 Prove theorems about lines and angles | How can you find the measures of angles formed by intersecting lines? | | | |
| G-CO.D.12 Perform geometric constructions with a compass and straightedge. including copying a segment; copying an angle; bisecting a | How can you prove and use theorems about angles formed by transversals that intersect parallel lines? | | | |
| segment; bisecting an angle; constructing perpendicular | How can you prove that two lines are parallel? | | | |
| lines/segments, constructing a line parallel to a given line through a point not on the line. | What are the key ideas about perpendicular bisectors of a segment? | | | |
| G-GPE.B.5 find the equation of a line parallel or perpendicular to a given line | How can you find the equation of a line that is parallel or perpendicular to a given line? | | | |
| that passes through a given point | How can you show that two triangles are congruent? | | | |
| G-CO.B.7 Use the definition of congruence in terms of rigid motions to show that two triangles are congruent if and only if corresponding pairs of sides | What does the ASA Triangle Congruence Theorem tell you about triangles? | | | |
| and corresponding pairs of angles are congruent. | What does the SAS Triangle Congruence Theorem tell you about triangles? | | | |
| G-CO.B.8 Explain how the criteria for triangle congruence (ASA) follow from the definition of congruence in terms of rigid motions. | What does the SSS Triangle Congruence Theorem tell you about triangles? | | | |
| G-CO.C.10 Prove theorems about triangles. Theorems must include but not limited to: measures of interior angles of a triangle sum to 180°; base angles of isosceles triangles are | | | | |

| congruent; the mid segment is parallel to the third side a length; the medians of a tria a point. G-SRT.B.5 Use congruence a criteria for triangles to solve and to prove relationships i figures. G-CO.B.8 Explain how the cri triangle congruence (SAS from the definition of congri terms of rigid motions. | nd half the ingle meet at and similarity problems n geometric riteria for) follow | | |
|---|--|--------------|--|
| G-CO.B.8 Explain how the cr triangle congruence (SSS) the definition of congruence rigid motions. | follow from | | |
| Language objective | Mathematic | al practices | Integrate mathematical |
| Explain to a partner the differences among complementary angles, supplementary angles, linear pairs, and vertical angles. Explain to a partner how to identify the angles formed by two parallel lines cut by a transversal. Explain to a partner whether the angles formed by two lines cut by a transversal determine parallel lines. Explain to a partner why a pair of lines is or is not | MP.5 Using T | ools | practices This lesson provides an opportunity to address Mathematical Practice MP.5, which calls for students to "use appropriate tools." They begin the lesson by constructing the perpendicular bisector of a segment; they may also use paper folding or reflective devices to construct the perpendicular bisector. Students also construct the perpendicular to a line through a point not on the line. For each construction, they must be able to use the tools in a variety of ways in order to obtain accurate results and to understand the underlying mathematical relationships. |
| perpendicular. Explain to a partner how to use the slope of a line to find the equation of a parallel or perpendicular line. | MP.3 Logic | | This lesson provides an opportunity to address Mathematical Practice MP.3, which calls for students to "construct viable arguments and critique the reasoning of others." As students explore congruent triangles, ask |

| Have students explain to a partner why a pair of triangles is congruent or noncongruent. Have students work in pairs to label and color code congruent angles and a side in pairs of triangles. Have students work in pairs to find an example in the lesson and write out a step-by-step explanation of how the SAS Triangle Congruence Theorem works. Have small groups of students complete a triangle congruence chart. | | | them to share their observations and conclusions with the class. As they share their findings, ask if anyone got different results. Discuss the differences. Promoting this type of dialogue in the classroom is an essential aspect of the standard. |
|---|--|-------------------------------|--|
| | | | |
| Vocation Vertical angles Flow proof Complementary angles Supplementary angles Transversal Corresponding angles Same-side interior angles | bulary Alternate interior angles Alternate exterior angles Converse Indirect proof Biconditional Contrapositve | | Differentiation Students who need extra help receive help from teacher one on one for independent working time. If appropriate, they complete worksheets or tests in an alternate setting. |
| | Stago 2 - Ag | ssessment Evi | donco |
| Performance Tasks: Homework quizzes, worksheet, Tests. | | Unit Pre-Asse Assign ready | |
| | Stage 3 | – Learning Pl | an |
| Learning Activities: procedures/topics Reading and discussing lesson with class as lecture time. Giving students examples to be completed in class. Most times using the Think, Pair, and Share to keep students active in their learning individually and together. Students take notes and use notes to complete homework assignments. Sometimes activities used to present things in multiple ways or for extra practice on struggling concepts. | | | |

Lesson Descriptions

LESSON 4.1 Angles Formed by Intersecting Lines LESSON 4.2 Transversals and Parallel Lines LESSON 4.3 Proving Lines Are Parallel LESSON 4.4 Perpendicular Lines LESSON 4.5 Equations of Parallel and Perpendicular Lines LESSON 5.1 Exploring What Makes Triangles Congruent LESSON 5.2 ASA Triangle Congruence LESSON 5.3 SAS Triangle Congruence LESSON 5.4 SSS Triangle Congruence

| Subject: Geometry | Teacher: Mrs. Jacque Boyle |
|--|----------------------------|
| Grade: 9 th /10 th | Duration: November 2019 |
| Unit 2 Lines, Angles and Triangles | |
| Module 7 Properties of Triangles | |
| Module 8 Special Segments in Triangles | |
| Summary of unit | |

Summary of unit:

Students will learn about parallel lines, transversals, and angle relationships, perpendicular lines and bisectors, slopes and equations of parallel and perpendicular lines, congruence of triangles, geometric constructions, special triangles and triangle inequalities, and special segments of triangles.

| Stage 1 – Desired Results | | |
|--|---|--|
| Standards | Essential Questions: | |
| G-CO.C.10 Prove theorems about | | |
| triangles. | What can you say about the interior and exterior | |
| | angles of a triangle and other polygons? | |
| G-SRT.B.5 Use congruence criteria for | | |
| triangles to solve problems and to prove | What are the special relationships among angles | |
| relationships in geometric figures. | and sides in isosceles and equilateral triangles? | |
| G-C.A.3 Construct the circumscribed | How can you use inequalities to describe the | |
| circles of a triangle | relationships among side lengths and angle | |
| C CO D 12 Derform geometric | measures in a triangle? | |
| G-CO.D.12 . Perform geometric | How can you use norman digular bisectors to find | |
| constructions with a compass and straightedge. including copying a | How can you use perpendicular bisectors to find the point that is equidistant from all the vertices | |
| segment; copying an angle; bisecting a | of a triangle? | |
| segment; bisecting an angle; | | |
| constructing perpendicular | How can you use angle bisectors to find the point | |
| lines/segments, constructing a line | that is equidistant from all the sides of a triangle? | |
| parallel to a given line through a point | that is equiviliant in our an the state of a trianglet | |
| not on the line. | How can you find the balance point or center of | |
| | gravity of a triangle? | |
| G-GPE.B.4 Use coordinates to prove | | |
| geometric relationships algebraically. | How are the segments that join the midpoints of a | |
| | triangle's sides related to the triangle's sides? | |
| G-GPE.B.5 Define and use the slope | | |
| criteria for parallel and perpendicular | | |
| lines. | | |
| G-C.A.3 Construct the inscribed circles | | |
| of a triangle | | |
| | | |
| G-CO.C.9 Prove theorems about lines and | | |
| angles. Theorems must include but not | | |
| limited to: vertical angles are congruent; | | |
| when a transversal intersects parallel | | |
| lines, alternate interior angles are | | |

| congruent and same side interior angles are supplementary (using corresponding angles postulate); points on a perpendicular bisector of a line segment are equidistant from the segment's endpoints. | | | |
|---|------------------------|---|--|
| Language objective | Mathematical practices | Integrate mathematical practices | |
| Work in small groups to play angle jeopardy. | MP.8 Patterns | 7.1 This lesson provides an opportunity to address Mathematical Practice MP.8, which | |
| Explain to a partner what you can deduce about a | | calls for students to "look for and identify patterns." Throughout the | |
| triangle if it has two sides with the same length. | | lesson, students use hands-on investigations or geometry to predict patterns and relationships | |
| Explain to a partner how to show the three inequalities generated for a triangle with side | | for the interior and exterior angles of a triangle or polygon. They prove the Triangle Sum Theorem, the Polygon Angle Sum Theorem, | |
| lengths a, b, and c. | | and the Exterior Angle Theorem. The hands-on investigations give | |
| Work in small groups to match terms to picture cards. | | students a chance to use inductive reasoning to make a conjecture. This is followed by a proof in which students use deductive | |
| Students work in pairs to complete a compare/contrast chart | | reasoning to justify their conjectures. | |
| for circumscribed and inscribed circles. | MP.5 Using Tools | This lesson provides an opportunity to address Mathematical Practice MP.5, which | |
| With a partner, label the orthocenter, medians, and altitudes of triangles drawn on coordinate planes. | | calls for students to "use appropriate tools." Throughout the lesson, students use paper and pencil, protractors and rulers, and algebraic rules to predict and draw the indicated segments related to | |
| Explain to a partner why a drawn segment in a triangle is or is not a | | triangles. They must be able to use the tools in a variety of ways to explore concepts, do | |
| midsegment. | | measurements of segments and subsegments related to triangles, and to solve problems that involve segments of triangles. | |
| Vocat | oulary | Differentiation | |

| Interior angle Auxiliary line Exterior angle Remote interior angles Isosceles triangle legs vertex angle base base angles equilateral triangle equiangular triangle circumscribed circumcircle circumcenter | concurrent point of concu distance from line inscribed incircle inscribed circo incenter median centroid altitude orthocenter midsegment | n a point to a | Students who need extra help receive help from teacher one on one for independent working time. If appropriate, they complete worksheets or tests in an alternate setting. |
|---|--|----------------|---|
| | Stage 2 – As | ssessment Evi | dence |
| Performance Tasks: Homework quizzes, worksh | | to prepare st | -made or customized practice tests udents for high-stakes tests |
| Stage 3 – Learning Plan | | | |
| Learning Activities: procedures/topics Reading and discussing lesson with class as lecture time. Giving students examples to be completed in class. Most times using the Think, Pair, and Share to keep students active in their learning individually and together. Students take notes and use notes to complete homework assignments. Sometimes activities used to present things in multiple ways or for extra practice on struggling concepts. | | | |
| Lesson Descriptions | | | |
| LESSON 7.1 Interior and Exterior Angles LESSON 7.2 Isosceles and Equilateral Triangles LESSON 7.3 Triangle Inequalities LESSON 8.1 Perpendicular Bisectors of Triangles LESSON 8.2 Angle Bisectors of Triangles LESSON 8.3 Medians and Altitudes of Triangles LESSON 8.4 Midsegments of Triangles | | | |

| Subject: Geometry | Teacher: Mrs. Jacque Boyle |
|---|----------------------------|
| Grade: 9 th /10 th | Duration: December 2019 |
| Unit 2 Lines, Angles and Triangles | |
| Module 6 Application of Triangle | |
| Congruence | |
| Unit 2 Test | |
| | |

Summary of unit:

Students will learn about parallel lines, transversals, and angle relationships, perpendicular lines and bisectors, slopes and equations of parallel and perpendicular lines, congruence of triangles, geometric constructions, special triangles and triangle inequalities, and special segments of triangles.

| Stage 1 – Desired Results | | | |
|--|---------------|------------------------------|--|
| Standards | | Essential Questions: | |
| G-SRT.B.5 Use congruence criteria for triangles to solve problems and to prove relationships in geometric figures. | | Theorem tell What does th | e AAS Triangle Congruence you about two triangles? e HL Triangle Congruence Theorem t two triangles? |
| Language objective | Mathematic | 2 | Integrate mathematical |
| Explain in your own words the difference between the AAS and ASA congruence theorems. Explain the HL Congruence Theorem in your own words. | MP.3 Logic | | practices This lesson provides an opportunity to address Mathematical Practice MP.3, which calls for students to "construct viable arguments and critique the reasoning of others." Students learn to justify the Angle-Angle- Side Congruence Theorem by using a paragraph proof. Mathematical proofs must use precise language to ensure their validity. As students continue to explore congruent triangles, ask them to justify their conclusions and communicate them with the class. Promoting this type of dialogue in the classroom is an essential aspect of the standard. |
| | MP.7 Using St | tructure | This lesson provides an opportunity to address Mathematical Practice MP.7, which calls for students to "look for and make use of structure." Students |

| | | | look at pairs of triangles that have two congruent sides and congruent non-included angles. They analyze these relationships to determine that this information is sufficient |
|---|--------------|---------------|---|
| | | | only to prove right triangles |
| | | | congruent. |
| | ulary | | Differentiation |
| Hypotenuse legs | | | Students who need extra help receive help from teacher one on one for independent working time. If appropriate, they complete worksheets or tests in an alternate setting. |
| | Stage 2 – As | ssessment Evi | |
| Performance Tasks: Homework quizzes, worksheet, Tests. | | | essment: -made or customized practice tests udents for high-stakes tests |
| Stage 3 – Learning Plan | | | |
| Learning Activities: procedures/topics Reading and discussing lesson with class as lecture time. Giving students examples to be completed in class. Most times using the Think, Pair, and Share to keep students active in their learning individually and together. Students take notes and use notes to complete homework assignments. Sometimes activities used to present things in multiple ways or for extra practice on struggling concepts. | | | |
| Lesson Descriptions | | | |
| LESSON 6.2 AAS Triangle Congruence LESSON 6.3 HL Triangle Congruence | | | |

| Subject: Geometry | Teacher: Mrs. Jacque Boyle |
|---|----------------------------|
| Grade: 9 th /10 th | Duration: January 2020 |
| Unit 3 Quadrilaterals and Coordinate | |
| Proof | |
| Module 9: Properties of Quadrilaterals | |
| Module 10: Coordinate Proof Using Slope | |
| and Distance | |

Summary of unit:

Students will learn about properties of parallelograms, rectangles, rhombuses, and squares, theorems about parallelograms, properties of kites and trapezoids, coordinate proofs with slopes and lines that are parallel and perpendicular, the distance and midpoint formulas, perimeter and area on the coordinate plane, and finding areas of composite figures

| Stage 1 – Desired Results | | | |
|--|--|--|--|
| | | | |
| G-CO.C.11 Prove theorems about | Essential Questions: | | |
| | | | |
| parallelograms | What can you conclude about the sides, angles, | | |
| | and diagonals of a parallelogram? | | |
| G-CO.C.10 Prove theorems about | | | |
| triangles. Theorems must include but | What criteria can you use to prove that a | | |
| not limited to: measures of interior | quadrilateral is a parallelogram? | | |
| angles of a triangle sum to 180°; base | | | |
| angles of isosceles triangles are | What are the properties of rectangles, | | |
| congruent; the mid segment of a triangle | rhombuses, and squares? | | |
| is parallel to the third side and half the | | | |
| length; the medians of a triangle meet at | How can you use given conditions to show that a | | |
| a point. | quadrilateral is a rectangle, a rhombus, or a | | |
| | square? | | |
| G-SRT.B.5 Use congruence criteria for | | | |
| triangles to solve problems and to prove | What are the properties of kites and trapezoids? | | |
| relationships in geometric figures. | | | |
| | How can you use slope to solve problems | | |
| G-GPE.B.5 Prove the slope criteria for | involving parallel lines? | | |
| parallel lines and use them to solve | | | |
| geometric problems | How can you use slope to solve problems | | |
| | involving perpendicular lines? | | |
| G-GPE.B.5 Prove the slope criteria for | | | |
| perpendicular lines and use them to | How do you write a coordinate proof? | | |
| solve geometric problems | | | |
| | How can you use slope and the distance formula | | |
| G-GPE.B.4 Use coordinates to prove | in coordinate proofs? | | |
| simple geometric theorems. | | | |
| | | | |
| G-GPE.B.7 Use coordinates to compute | | | |
| perimeters of polygons and areas of | | | |
| triangles and rectangles, e.g., using the | | | |
| distance formula. | | | |
| | | | |

| Language objective | Mathematical practices | Integrate mathematical |
|---|------------------------|--|
| Explain to a partner why | | practices |
| pictures of quadrilaterals | MP.7 Using Structure | 9.4 This lesson provides an |
| are or are not | | opportunity to address |
| parallelograms. | | Mathematical Practice MP.7, which calls for students to "look for and |
| Explain to a partner how | | make use of structure." Students |
| to identify the opposite | | are already familiar with the |
| sides, opposite angles, and | | properties of rectangles, |
| consecutive angles and sides of a quadrilateral. | | rhombuses, and squares, but in this lesson they must analyze the |
| brace of a qualification and | | conditions that would be sufficient |
| Explain to a partner how | | to make a parallelogram a more |
| to classify different types of quadrilaterals as | | special figure. Each theorem in the lesson presents a single condition |
| rectangles, rhombuses, or | | that leads to a broader conclusion |
| squares. | | that a figure is a special |
| E dela construction | | quadrilateral. For example, it is |
| Explain to a partner how to distinguish between a | | sufficient for one angle of a parallelogram to be a right angle to |
| condition for a | | conclude that the parallelogram |
| quadrilateral to be a | | has four right angles (it is a |
| rectangle, rhombus, or square, and a property of | | rectangle). |
| a rectangle, rhombus, or | | |
| square. | | |
| Explain to a partner how | | |
| to describe the properties | | |
| of kites and trapezoids. | | |
| Explain to a partner how | | |
| to use slopes to find | | |
| missing vertices and classify quadrilaterals. | | |
| | | |
| Work in small groups to | | |
| draft an explanation for students beginning to | | |
| study geometry of how | | |
| you can use slope to solve | | |
| problems involving | | |
| perpendicular lines. | | |
| Describe to a partner how | | |
| to prove the Concurrency | | |
| of Medians Theorem. | | |

| Evalain in your own | | | |
|---|--|-----------------|--------------------------------------|
| Explain in your own words how to prove that a | | | |
| quadrilateral on a | | | |
| coordinate plane is a | | | |
| rectangle. | | | |
| Work in small groups to | | | |
| develop a series of written | | | |
| steps to explain how to | | | |
| calculate perimeter and | | | |
| area in the coordinate | | | |
| plane. | | | |
| | oulary | | Differentiation |
| Quadrilateral | Trapezoid | | Students who need extra help |
| Parallelogram | Isosceles trap | | receive help from teacher one on |
| Diagonal | Midsegment o | - | one for independent working time. |
| Rectangle | Coordinate pr | | If appropriate, they complete |
| Rhombus | Composite fig | gure | worksheets or tests in an alternate |
| Square Kite | | | setting. |
| Kite | | | |
| | Stage 2 – As | sessment Evi | dence |
| Performance Tasks: | | Unit Pre-Asse | |
| Homework quizzes, worksh | eet, Tests. | | made or customized practice tests |
| to prepare students for high-stakes tests | | | udents for high-stakes tests |
| Stage 3 – Learning Plan | | | |
| Learning Activities: procedures/topics | | | |
| Reading and discussing lesson with class as lecture time. | | | |
| | | | s. Most times using the Think, Pair, |
| _ | | | g individually and together. |
| | | - | mework assignments. |
| | used to preser | nt things in mu | ltiple ways or for extra practice on |
| struggling concepts. | | | |
| Lesson Descriptions | | | |
| LESSON 0.1 Properties of Parallelograms | | | |
| LESSON 9.1 Properties of Parallelograms LESSON 9.2 Conditions for Parallelograms | | | |
| LESSON 9.2 Conditions for Parallelograms LESSON 9.3 Properties of Rectangles, Rhombuses, and Squares | | | |
| LESSON 9.4 Conditions for Rectangles, Rhombuses, and Squares | | | |
| LESSON 9.5 Properties and Conditions for Kites and Trapezoids | | | |
| LESSON 10.1 Slope and Parallel Lines | | | |
| LESSON 10.2 Slope and Perpendicular Lines | | | |
| LESSON 10.3 Coordinate Proof Using Distance with Segments and Triangles | | | |
| LESSON 10.4 Coordinate Proof Using Distance with Quadrilaterals | | | |
| LESSON 10.5 Perimeter and | LESSON 10.5 Perimeter and Area on the Coordinate Plane | | |
| | | | |

Subject: Geometry Grade: 9th /10th Unit 4 Similarity Module 11 Similarity and Transformations Module 12 Using Similar Triangles Summary of unit: **Teacher:** Mrs. Jacque Boyle **Duration:** February 2020

Students will learn about, similarity and dilations, similarity of circles, corresponding parts of similar figures, proving triangles similar, the triangle proportionality theorem, dividing segments in a given ratio, geometric means theorems, and proving the Pythagorean Theorem.

| Stage 1 – Desired Results | | | |
|--|---|--|--|
| Standards | Essential Questions: | | |
| G-SRT.A.1a, G-SRT.A.1.b Verify experimentally the properties of | How does a dilation transform a figure? | | |
| dilations given by a center and a scale factor | How can similarity transformations be used to show two figures are similar? | | |
| G-SRT.A.2 Given two figures, use the definition of similarity in terms of similarity transformations to decide if they are similar | If you know two figures are similar, what can you determine about measures of corresponding angles and lengths? | | |
| G-C.A.1 . Prove that all circles are similar. | How can you show that two triangles are similar? | | |
| G-SRT.A.2 explain using similarity transformations the meaning of similarity for triangles | When a line parallel to one side of a triangle intersects the other two sides, how does it divide those sides? | | |
| G-SRT.A.3 Use the properties of similarity transformations to establish the AA criterion for two triangles to be | How do you find the point on a directed line segment that partitions the given segment in a given ratio? | | |
| similar. | How can you use similar triangles to solve problems? | | |
| G-CO.C.10 Prove theorems about triangles. Theorems must include but not limited to: measures of interior angles of a triangle sum to 180°; base angles of isosceles triangles are congruent; the mid segment of a triangle is parallel to the third side and half the length; the medians of a triangle meet at a point. | How does the altitude to the hypotenuse of a right triangle help you use similar right triangles to solve problems? | | |
| G-CO.D.12 Perform geometric constructions with a compass and | | | |

| straightedge. including copy segment; copying an angle; segment; bisecting an angle constructing perpendicular lines/segments, constructin parallel to a given line throu not on the line G-GPE.B.6 Find the point on line segment between two g that partitions the segment ratio. G-SRT.B.5 Use congruence a criteria for triangles to solve and to prove relationships i figures. G-SRT.B.4 Prove theorems a triangles involving similarit | bisecting a g a line igh a point a directed iven points in a given and similarity problems n geometric | |
|--|--|--|
| Language objective | Mathematical practices | Integrate mathematical |
| Work with a partner to identify the center of dilation and scale factor in a dilation. Work with a partner to list the essential components needed to prove a figure is similar to another. Play "similar or not" with a partner given pairs of | MP.1 Focus on Math Connections MP.4 Focus on Modeling | practices 11.2 MP.1 Have students discuss the various approaches to defining similarity, including the intuitive approach (same shape, may be different size); meeting the conditions of congruent angles and proportional sides; and the transformational approach-if one can be obtained from the other by similarity transformations. 11.3 MP.4 Use drawings to discuss |
| figures on coordinate planes. Explain to a partner how to use the Angle-Angle criterion to show similarity in triangles. | | how similar triangles can be used to find the heights of buildings or trees that are difficult to measure directly. The objects' shadows, measured at the same time of day, are proportional to the heights of the objects. |
| Work with a partner to describe the triangle proportionality theorem and its converse. | MP.3 Focus on Communication | 12.3 MP.3 Have students name the corresponding parts of similar figures before they begin to solve for any lengths. |

| Work in groups to find ratios of subdivided | | | |
|---|----------------|---------------|---|
| segments. | | | |
| Explain the difference between direct and indirect measurement to a partner. | | | |
| Explain to a partner how to use the Angle/Angle criterion to show similarity in triangles | | | |
| Vocab | | | Differentiation |
| Dilation Center of dilation Similarity transformation Similar Indirect measurement | Geometric mean | | Students who need extra help receive help from teacher one on one for independent working time. If appropriate, they complete worksheets or tests in an alternate setting. |
| | Stage 2 – As | ssessment Evi | |
| Homework quizzes, worksheet, Tests. Assig | | | essment: -made or customized practice tests udents for high-stakes tests |
| Stage 3 – Learning Plan | | | |
| Learning Activities: procedures/topics Reading and discussing lesson with class as lecture time. | | | |
| • Giving students examples to be completed in class. Most times using the Think, Pair, and Share to keep students active in their learning individually and together. | | | - |
| | | - | mework assignments. |
| Sometimes activities used to present things in multiple ways or for extra practice on struggling concepts. | | | |
| Lesson Descriptions | | | |
| | | | |
| LESSON 11.1 Dilations | | | |
| LESSON 11.2 Proving Figures Are Similar Using Transformations LESSON 11.3 Corresponding Parts of Similar Figures | | | |
| LESSON 11.9 corresponding rates of similar rightes | | | |
| LESSON 12.1 Triangle Proportionality Theorem | | | |
| LESSON 12.2 Subdividing a Segment in a Given Ratio | | | |
| LESSON 12.3 Using Proportional Relationships | | | |
| LESSON 12.4 Similarity in Right Triangles | | | |

| Subject: Geometry | Teacher: Mrs. Jacque Boyle |
|---|----------------------------|
| Grade: 9 th /10 th | Duration: March 2020 |
| Unit 5 Trigonometry | |
| Module 13 Trigonometry with Right | |
| Triangles | |
| Unit 6 Properties of Circles | |
| Module 15 Angles and Segments in | |
| Circles | |
| Summary of unit: | |

Students will learn about ratios in right triangles, using tangents, using sine and cosine, special right triangles, Pythagorean triples, solving right triangles, inverse trigonometric ratios.

Students will learn about, central and inscribed angles, chords, secants, tangent lines, and arcs, segment lengths in circles, angles formed by intersecting lines of a circle, formulas for circumference and area of a circle, area of a sector, the equation of a circle

| Stage 1 - | Desired Results |
|---|---|
| Standards | Essential Questions: |
| G-SRT.C.6 Understand that by similarity, side ratios in right triangles are properties of the angles in the triangle, leading to definitions of trigonometric ratios for acute angles G-SRT.C.7 Explain and use the relationship between the sine and cosine of complementary angles | How do you find the tangent ratio for an acute angle? How can you use the sine and cosine ratios, and their inverses, in calculations involving right triangles? What do you know about the side lengths and the trigonometric ratios in special right triangles? |
| G-SRT.C.8 Use trigonometric ratios and the Pythagorean Theorem to solve right triangles in applied problems. G-C.A.2 Identify and describe relationships among inscribed angles, radii, and chords. | How can you solve a right triangle? How can you determine the measures of central angles and inscribed angles of a circle? What can you conclude about the angles of a quadrilateral inscribed in a circle? |
| G-C.A.3 Construct the incribed and circumscribed circles of a triangle, and prove properties of angles for a quadrilateral inscribed in a circle. | What are the key theorems about tangents to a circle?What are the relationships between the segments in circles?What are the relationships between angles formed by lines that intersect a circle? |

| Language objective | Mathematical practices | Integrate mathematical |
|--|------------------------|---|
| | | practices |
| Explain to a partner how to find the tangent of an | MD 2 Possoning | 12.2 This losson provides an |
| angle given a diagram of a | MP.2 Reasoning | 13.3 This lesson provides an opportunity to address |
| right triangle with given | | Mathematical Practice MP.2, which |
| angle measure and leg | | calls for students to "reason |
| lengths | | abstractly and quantitatively." |
| lengens | | Students investigate the |
| Explain to a partner how | | relationships among the side |
| to find the sine and cosine | | lengths and angles of the special |
| of an angle given a | | right triangles, and use them to |
| diagram of a right triangle | | find the trigonometric ratios and |
| with given angle measure | | angle measures associated with |
| and opposite or adjacent | | these relationships. This |
| leg and hypotenuse | | recognition can often provide a |
| lengths. | | quicker solution to a problem |
| | | involving a special triangle. |
| Explain to a partner how | | |
| to solve a right triangle, | | 13.4 This lesson provides an |
| and how to solve a right | | opportunity to address |
| triangle in the coordinate | | Mathematical Practice MP.2, which |
| plane. | | calls for students to "reason |
| Explain to a partner how | | abstractly and quantitatively." |
| to find the sine, cosine, | | Students derive the formula for the |
| and tangent of a 30° -60° - | | area of a triangle by recognizing |
| 90° triangle or a 45° -45° - | | the relationships that occur within |
| 90° triangle. | | the triangle when the altitude is |
| | | constructed. They apply this |
| Work with a partner to | | formula to a variety of triangles. As |
| compare and contrast | | students solve a right triangle, they |
| central angles and | | must identify relationships that |
| inscribed angles. | | can be used to find missing |
| | | measures, and they can often |
| Work with a small group | | choose which of the three inverse |
| to decide whether | | trigonometric ratios to apply. |
| statements about | | |
| inscribed quadrilaterals | | 15.3This lesson provides an |
| are true or false. | | opportunity to address |
| Montrin noise to identif | | Mathematical Practice MP.2, which |
| Work in pairs to identify | | calls for students to "reason |
| tangents and points of | | abstractly and quantitatively." |
| tangency. | | Students begin by making a |
| Explain to a partner how | | conjecture about the relationship between a tangent line to a circle |
| Explain to a partner how to interpret the Chord- | | and the radius at the point of |
| Chord Product Theorem. | | tangency, and then provide a proof. |
| | | In addition to proving the Tangent- |
| | | in addition to proving the rangent- |

| intersecting chords if the measures of the intercepted arcs are known. | the circle using the Converse of the Tangent-Radius Theorem. Finally, students prove the Circumscribed Angle Theorem, which depends upon the Tangent-Radius Theorem and the Quadrilateral Sum Theorem. |
|---|---|
| MP.4 Modeling | 15.2 This lesson provides an opportunity to address Mathematical Practice MP.4, which calls for students to "model with mathematics." Students create and use representations to extend their understanding of the Inscribed Angle Theorem to prove the Inscribed Quadrilateral Theorem. They recognize that the theorem is bi-conditional and implies that an inscribed parallelogram must be a rectangle and an inscribed rhombus must be a square. They use these ideas to find missing angle measures in quadrilaterals inscribed in circles and to inscribe a square in a circle. |
| MP.3 Logic | 15.5 This lesson provides an opportunity to address Mathematical Practice MP.3, which calls for students to "construct viable arguments." Students must recognize angle relationships that occur based on intersections of specific segment relationships in circles. They must justify their choices of theorems to use based on the segment relationships. Students then apply the theorem (or theorems) to find missing measures in circles. |

| Inverse Tangent Trigonometric Ratio Sine Cosine Inverse trigonometric ratios Chord Central angle Inscribed angle arc | semicircle adjacent arcs intercepted arcs tangent point of tangency secant secant segment external secant segment tangent segment | | Students who need extra help receive help from teacher one on one for independent working time. If appropriate, they complete worksheets or tests in an alternate setting. |
|---|---|----------------|---|
| minor arc | | | |
| major arc | | | |
| | Stage 2 – As | ssessment Evi | dence |
| Performance Tasks: Homework quizzes, worksheet, Tests. | | | essment: -made or customized practice tests udents for high-stakes tests |
| | Stage 3 | - Learning Pla | an |
| Learning Activities: procedures/topics Reading and discussing lesson with class as lecture time. Giving students examples to be completed in class. Most times using the Think, Pair, and Share to keep students active in their learning individually and together. Students take notes and use notes to complete homework assignments. Sometimes activities used to present things in multiple ways or for extra practice on struggling concepts. | | | |
| | Lesson Descriptions | | |
| LESSON 13.1 Tangent Ratio LESSON 13.2 Sine and Cosine Ratios LESSON 13.3 Special Right Triangles LESSON 13.4 Problem Solving with Trigonometry LESSON 15.1 Central Angles and Inscribed Angles LESSON 15.2 Angles in Inscribed Quadrilaterals LESSON 15.3 Tangents and Circumscribed Angles LESSON 15.4 Segment Relationships in Circles LESSON 15.5 Angle Relationships in Circles | | | |

| Subject: Geometry | Teacher: Mrs. Jacque Boyle |
|---|----------------------------|
| Grade: 9 th /10 th | Duration: April 2020 |
| Unit 6 Properties of Circles | |
| Module 16 Arc Length and Sector Area | |
| Module 17 Equations of Circles and | |
| Parabolas | |
| Unit 7 Measurement and Modeling in | |
| Two and Three Dimensions | |
| Module 18 Volume Formulas | |
| Module 19 Visualizing Solids | |
| Summary of unit: | |

Students will learn about, central and inscribed angles, chords, secants, tangent lines, and arcs, segment lengths in circles, angles formed by intersecting lines of a circle, formulas for circumference and area of a circle, area of a sector, the equation of a circle

Students will learn about formulas for the volume of a prism, cylinder, pyramid, cone, and sphere, cross sections and solids of rotation, formulas for the surface area of a prism, cylinder, pyramid, cone, and sphere, scale factor, and calculating densities.

| Stage 1 – Desired Results | | |
|---|---|--|
| Standards | Essential Questions: | |
| G-GMD.A.1 Give an informal argument for the formulas for the circumference of a circle, area of a circle, volume of a cylinder, pyramid, and cone. | How can you justify and use the formulas for the circumference and area of a circle? How do you find the length of an arc? | |
| G-C.A.1 Prove that all circles are similar. | How do you find the area of a sector of a circle? | |
| G.C.B.5a Define the radian measure of the angle as the constant of proportionality. | How can you write the equation of a circle if you know its radius and the coordinates of its center? | |
| G-C.B.5b Derive the formula for the area of a sector. | How do the formulas for the volume of a prism and cylinder relate to area formulas that you already know? | |
| G-GPE.A.1 Derive the equation of a circle of given center and radius using the | How do you find the volume of a pyramid? | |
| Pythagorean Theorem; complete the square to find the center and radius of a circle given by an equation. | How do you calculate the volumes of composite figures that include cones? | |
| G-GMD.A.3 Know and apply volume and surface area formulas for cylinders, pyramids, cones, and spheres for | How can you use the formula for the volume of a sphere to calculate the volumes of composite figures? | |
| composite figures to solve problems. | What tools can you use to visualize solid figures accurately? | |

| | | How can you cylinder? | find the surface area of a prism or |
|--|-------------------------------------|--------------------------|---|
| G-GMD.A.2(+) Give an informal argument using Cavalieri's principle for the formulas for the volume of a sphere and other solid figures. | | | |
| G-GMD.B.4 Identify the shap dimensional cross-sections dimensional objects, and ide dimensional objects generat rotations of two-dimensional | of three entify three- ted by | | |
| G-MG.A.1 Use geometric sha measures, and their proper describe objects (e.g., mode | ties to | | |
| trunk or a human torso as a | cylinder). | | |
| Language objective | Mathematic | al practices | Integrate mathematical |
| | | | practices |
| Explain to a partner how | | | |
| to justify the | MP.6 Precisio | n | 17.1 This lesson provides an |
| circumference and area | | | opportunity to address |
| formulas for a circle. | | | Mathematical Practice MP.6, which |
| | | | calls for students to "communicate |
| Explain to a partner how | | | with precision." In this lesson, |
| to convert the measure of | | | students analyze the conditions |
| an arc from degrees to | | | that would be sufficient to write |
| radians. | | | the equation of a circle in the |
| | | | coordinate plane. The equation of a |
| Explain to a partner how | | | circle with center (h, k) and radius |
| to find the area of a sector | | | r is (x - h)2 + (y - k)2 = r2. This |
| of a circle. | | | equation follows immediately from |
| | | | the Distance Formula. In addition, |
| Explain to a partner how | | | squaring and simplifying show that |
| to find the equation of a | | | every circle is the graph of an |
| circle given its radius and | | | equation of the form $x^2 + y^2 + Ax +$ |
| the coordinates of its | | | By + C = 0. Given an equation in |
| center. | | | this form, the center and radius of |
| | | | the circle may be found by |
| Explain to a partner how | | | completing the square. |
| to apply the formulas for | | | |
| the volume of a prism and | MP.2 Reasoni | ng | 18.4 This lesson provides an |
| a cylinder. | | | opportunity to address |
| | | | Mathematical Practice MP.2, which |
| | | | calls for students to "reason |
| | | | abstractly and quantitatively." |

| Explain to a partner how | | | Students are already familiar with |
|-------------------------------------|---------------|---------------|--|
| to apply the formulas for | | | Cavalieri's Principle but, in this |
| the volume of a pyramid. | | | module, a surprising application of |
| | | | this principle is used. The |
| Explain to a partner how | | | argument is based on showing that |
| to apply the formulas for | | | a hemisphere and a cylinder from |
| the volume of a cone. | | | which a cone has been removed |
| | | | have the same cross-sectional area |
| Explain to a partner how | | | at every level and therefore must |
| to apply the formula for | | | have the same volume. A bit of |
| the volume of a sphere. | | | algebra shows that the volume of a |
| | | | sphere is equal to $_43 \pi r 3$ |
| Explain to a partner how | | | |
| to identify the three- | | | 19.2 This lesson provides an |
| dimensional objects | MP.2 Reasoni | nσ | opportunity to address |
| generated by rotating | NII .2 Reason | | Mathematical Practice MP.2, which |
| two-dimensional shapes | | | calls for students to "reason |
| about a line. | | | abstractly and quantitatively." In |
| about a fine. | | | this lesson, students analyze three- |
| Explain to a partner how | | | dimensional figures to determine |
| to find the surface area of | | | how they "decompose" into two- |
| prisms and cylinders. | | | dimensional faces, each with its |
| prisilis and cynnders. | | | own area, and to find that the sum |
| | | | |
| | | | of the areas of the faces is equal to |
| | | | the surface area of the figure. Since |
| | | | the faces of the figures are |
| | | | polygons or circles, the combined |
| | | | areas generate the lateral area and surface area formulas students will |
| | | | use in this lesson. |
| Vesel | | | |
| | oulary | | Differentiation |
| Arc | net | | Students who need extra help |
| Arc length | | | receive help from teacher one on |
| Radian measure | | | one for independent working time. |
| Sector | | | If appropriate, they complete |
| Circle | | | worksheets or tests in an alternate |
| Right prism | | | setting. |
| Right cylinder | | | |
| Stage 2 – Assessment Evidence | | | |
| Performance Tasks: | | Unit Pre-Asse | essment: |
| Homework quizzes, worksheet, Tests. | | Assign ready | -made or customized practice tests |
| t | | to prepare st | udents for high-stakes tests |
| | | | |
| Stage 3 – Learning Plan | | | |

- Learning Activities: procedures/topics
- Reading and discussing lesson with class as lecture time.
- Giving students examples to be completed in class. Most times using the Think, Pair, and Share to keep students active in their learning individually and together.
- Students take notes and use notes to complete homework assignments.
- Sometimes activities used to present things in multiple ways or for extra practice on struggling concepts.

Lesson Descriptions

LESSON 16.1 Justifying Circumference and Area of a Circle LESSON 16.2 Arc Length and Radian Measure LESSON 16.3 Sector Area LESSON 17.1 Equation of a Circle LESSON 18.1 Volume of Prisms and Cylinders LESSON 18.2 Volume of Pyramids LESSON 18.3 Volume of Cones LESSON 18.4 Volume of Spheres LESSON 19.1 Cross Sections and Solids of Rotation

LESSON 19.2 Surface Area of Prisms and Cylinders

| Subject: Geometry | Teacher: Mrs. Jacque Boyle |
|---|----------------------------|
| Grade: 9 th /10 th | Duration: May 2020 |
| Unit 7 Module 19 Visualizing Solids | |
| Module 20 Modeling and Problem | |
| Solving | |
| Summary of unit: | |

Students will learn about formulas for the volume of a prism, cylinder, pyramid, cone, and sphere, cross sections and solids of rotation, formulas for the surface area of a prism, cylinder, pyramid, cone, and sphere, scale factor, and calculating densities.

| Stage 1 – Desired Results | | | | | |
|---|------------|---|----------------------------------|--|--|
| Standards | | Essential Questions: | | | |
| G-MG.A.1 Use geometric shapes, their measures, and their properties to describe objects (e.g., modeling a tree trunk or a human torso as a cylinder). | | How is the formula for the lateral area of a regular pyramid similar to the formula for the lateral area of a right cone? How can you use the formula for the surface area | | | |
| G-MG.A.2 Apply concepts of density based on area and volume in modeling situations | | of a sphere to calculate the surface areas of composite figures? | | | |
| G-GPE.B.7 Use coordinates to compute perimeters of polygons and areas of triangles and rectangles, e.g., using the distance formula. | | How does multiplying one or more of the dimensions of a figure affect its attributes? | | | |
| G-GMD.A.3 Use volume formulas for cylinders, pyramids, cones, and spheres to solve problems | | | | | |
| Language objective Explain to a partner how to find the surface area of pyramids and cones. Explain to a partner how to find the surface area of a sphere. Explain to a partner the effect of a proportional dimension change on the area and perimeter of a geometric figure. | Mathematic | al practices | Integrate mathematical practices | | |

| Vocabulary | | | Differentiation | | |
|---|----------------|--|-------------------------------------|--|--|
| | | | Students who need extra help | | |
| Regular pyramid | | | receive help from teacher one on | | |
| | | | one for independent working time. | | |
| | | | If appropriate, they complete | | |
| | | | worksheets or tests in an alternate | | |
| | | | setting. | | |
| Stage 2 – Assessment Evidence | | | | | |
| Performance Tasks: | | Unit Pre-Assessment: | | | |
| Homework quizzes, worksheet, Tests. | | Assign ready-made or customized practice tests | | | |
| | | to prepare students for high-stakes tests | | | |
| | | | | | |
| Stage 3 – Learning Plan | | | | | |
| Learning Activities: | | | | | |
| Reading and discussion | ng lesson with | l class as lectur | re time. | | |
| • Giving students examples to be completed in class. Most times using the Think, Pair, | | | | | |
| and Share to keep students active in their learning individually and together. | | | | | |
| • Students take notes and use notes to complete homework assignments. | | | | | |
| • Sometimes activities used to present things in multiple ways or for extra practice on | | | | | |
| struggling concepts. | | | | | |
| Lesson Descriptions | | | | | |
| | | | | | |
| LESSON 19.3 Surface Area of Pyramids and Cones | | | | | |
| LESSON 19.4 Surface Area of Spheres | | | | | |
| LESSON 20.1 Scale Factor | | | | | |
| LESSON 20.2 Modeling and Density | | | | | |
| | | | | | |
| | | | | | |